

### Structural Optimization for Blast Mitigation Using HCA

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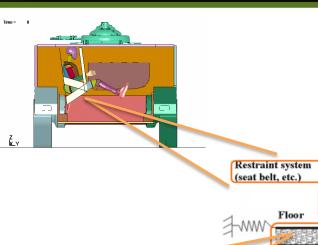


#### Introduction: **Design For Blast Mitigation**

Crew

Seat





- The blast mitigation design problem can be reduced sub problems as given
- Each reduction in problem formulation feeds back into the system above
- Design objectives for each sub problem are selected with the overall problem in mind
- Vehicle
  - Design for crew and critical component survivability
  - Sub System
    - Design for mechanical isolation between occupant and blast
- Component
  - Design for minimum energy transfer from blast wave
- Sub Component
  - Design for energy dissipation and distribution
- Microstructure
- Define damage and material parameters for energy absorption

  AlonBrill, Boaz Cohen and Paul A. Du Bois, SIMULATION OF A MINE BLAST EFFECT ON THE OCCUPANTS OF

AN APC. 6th European LS-DYNA Users' Conference



Y Z X

**UNCLASSIFIED** 

Composite armor

Panel

Landmine



## Introduction: Injury Criterion



- Injury criteria of vehicle occupants due to mechanical input taken as the design objective of the vehicle design problem
- Blast impulse is key the metric which drives injury occurrences
- Compressive forces and vertical acceleration taken to be defining factor in injury accumulation

HYBRID III Simulant	Symbol (units)	Assessment Reference Values	
Response Parameter			
Head Injury Criteria	HIC	750 ~5% risk of brain injury	
Head resultant acceleration	A (G)	150 G (2ms)	
Neck forward flexion moment	+ My (N-m)	190 N-m	
Neck rearward extension moment	- My (N-m)	57 N-m	
Chest resultant acceleration	A (G)	60 G (3ms), 40 G (7ms)	
Lumbar spine axial compression force	Fz (N)	3800 N (30ms), 6672 N (0ms)	
Lumbar spine flexion moment	+ My (N-m)	1235 N-m	
Lumbar spine extension moment	- My (N-m)	370 N-m	
Pelvis vertical acceleration	Az (G)	15, 18, 23 G (low, med, high risk)	
Tibia axial compressive force	F (N)	F/Fc - M/Mc < 1	
combined with Tibia bending moment	M (N-m)	where Fc=35,584N and Mc=225N-m	
Femur or Tibia axial compression force	Fz (N)	7562 N (10ms), 9074 N (0ms)	

Occupant Crash Protection Handbook for Tactical Ground Vehicles 2000

Ala Tabieiand GauravNilakantan, Reduction of Acceleration Induced Injuries from Mine Blasts under Infantry Vehicles University of Cincinnati

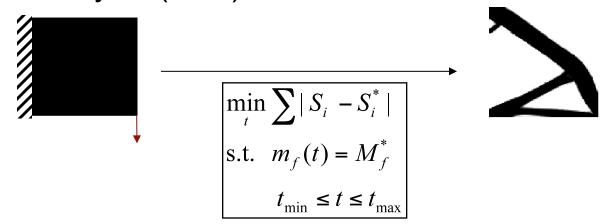




### HCA Overview: Topology Optimization



- Topology optimization process redistributes material in the design domain to obtain a concept design
- Hybrid Cellular Automata (HCA) algorithm using uniform internal energy density as a design objective
- Nonlinear transient analysis, utilizing LS-Dyna for finite element analysis (FEA)



Topology optimization to generate concept designs







## HCA Overview: Algorithm





- A continuum-based topology optimization
  - First utilized for bone remodeling (Tovar'04)
  - Extend bone remodeling technique for crashworthiness design (Patel'07)
- HCA = Cellular Automata (CA) + FEM
- CAs are characterized by local interactions

#### **Global Formulation**

find 
$$\underline{x}$$
  
s.t.  $\underline{h}(\underline{x}) = \underline{0}$   
 $\underline{g}(\underline{x}) \leq \underline{0}$   
 $\underline{H}(\underline{x}) = \underline{0}$   
 $\underline{G}(\underline{x}) \leq \underline{0}$   
 $x_i \in \{0,1\}, \quad i = 1, \dots, n,$ 

#### **Local Formulation**

find 
$$x_i$$
  
s.t.  $y_i(x_i) - y^* = 0$   
 $x_i \in \{0, 1\},$ 

#### Neighborhoods





vonNeumann (2D: N=4, 3D: N=6)





Moore (2D: N=8, 3D: N=26)

Local CA rules and basic control theory is used to distribute material



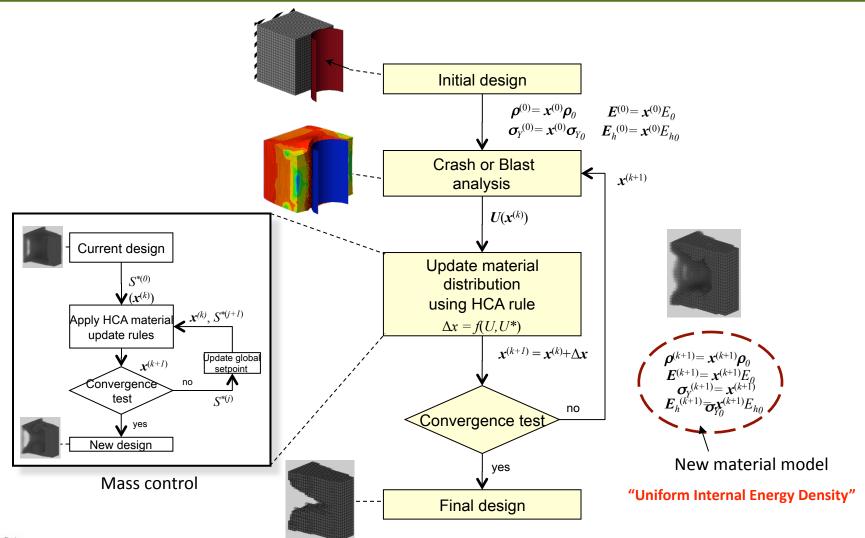




### HCA Overview: Algorithm

# MSTV MODELING AND SIMULATION, TESTING AND VALIDATION









### Modification of HCA for Blast: Field Variable Selection

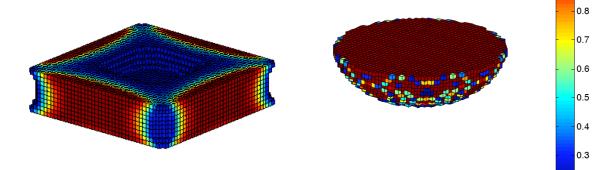


#### Field Variable:

- Original crasHCA algorithm only utilized Internal Energy (IE) at the final time step
  - IE at the final time is highly dependent on the simulation termination time
  - Resulting topology is drastically different depending on the selected end time
- Changed method for blast to use the IE at all time steps.

$$S_i = \int_{t=0}^{t=t_f} U_i(t) \, dt$$

 Will utilize the concept of a fully stressed design as implemented in the Crash version of the HCA algorithm.









#### Modification of HCA for Blast: Johnson-Cook Material Model



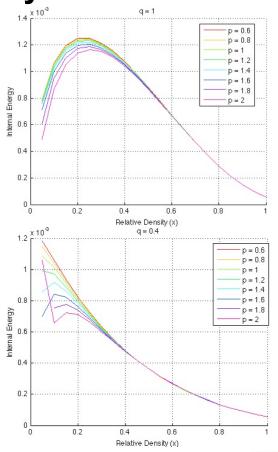
#### **Material Card Selection**

- Piecewise-linear elastic plastic material card:
  - Quasi-static
  - Hardening
  - Plastic deformation
- Johnson-Cook:
  - Can be used for dynamic loading situations
  - Strain rate effects
  - Temperature effects

$$E = E_0 x^p \text{ and } G = G_0 x^p$$
  
$$\sigma = [A + B\varepsilon^n][1 + C \ln \dot{\varepsilon}][1 - T^{*m}]$$

$$A = A_0 x^q$$
,  $B = B_0 x^q$ ,  $C = C_0 x^q$ 

### Johnson-Cook: Effect of density on Internal Energy







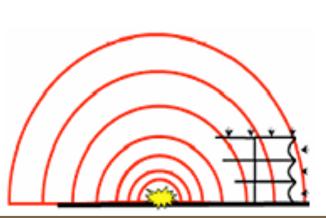


### Modification of HCA for Blast: CONWEP Blast Model



#### Load Type:

- Began using the CONWEP algorithm for the blast model in the 3-D solid element HCA method.
  - Quick Analysis time (relative to MMALE)
  - Required minimal changes to the HCA algorithm
- The objective is to design substructure that responds to a blast event in a desired manner. CONWEP can be used in this scenario since we are only looking at the response of a small piece of structure rather than the whole object.



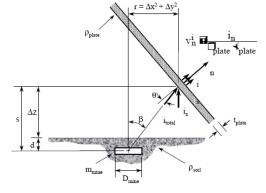


Figure 1. Definition of variables in the US Army TACOM Impulse Model (Adapted from Westine *et al.*, 1985).





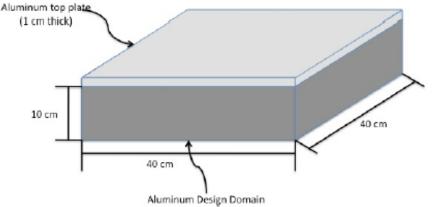


#### **Implementation**



As a proof of concept, a rectangular design domain was created to represent a piece of armor.

- Design domain is 40 x 40 x 10 cm aluminum (represents armor substructure)
- Top layer is 40 x 40 x 1 cm ceramic (represents ceramic top plate)
- Domain and top plate have fixed x, y, and z displacement boundary conditions on all sides.
- Blast is positioned 100 cm up from origin (89 cm from top center of plate)
- Hourglass control is included to help prevent complex sound speeds arising in low density elements
- The target mass is set to be 50% of a full design domain



- Generated Topology to be compared against a baseline model that is full density, but half as thick.
- The top of the baseline design will be 94 cm from the blast source (i.e. the base of the domain will be the same distance in both cases)

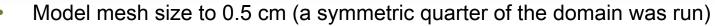


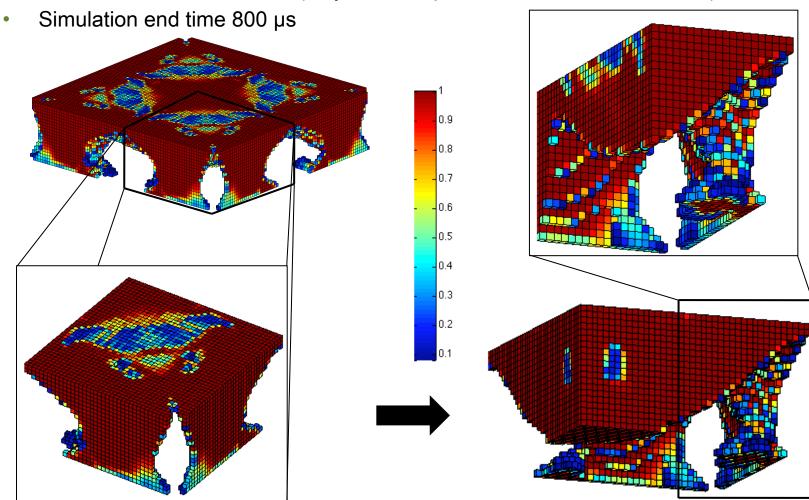




## Results: Integrated IE Objective









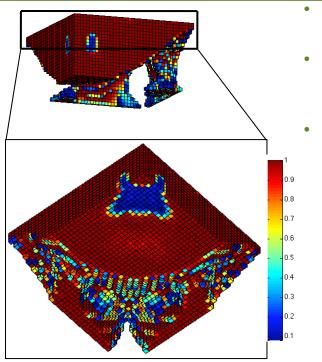




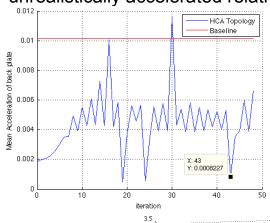
### Results: Integrated IE Objective

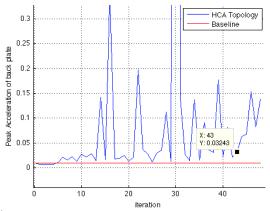
# MSTV MODELING RND SIMULATION, TESTING RND VALIDATION

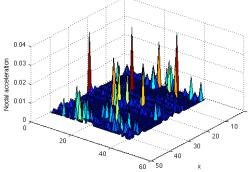


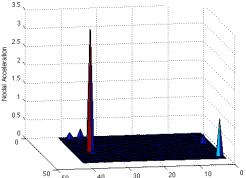


- Resulting topology has mass where it would be expected and satisfies the mass target constraint.
- There is an order of magnitude improvement in the mean nodal acceleration of the bottom of the design domain versus the baseline case.
  - Peak acceleration is misleading because of nodes that are being unrealistically accelerated relative to their neighbors















#### **Final Remarks**



 This investigation showed that the HCA algorithm could be modified to produce topologies that help to mitigate the acceleration transferred to the occupant from a blast loading

#### • Future work:

- Investigate further the use of IE as the field variable in the optimization process
- Investigation of other field variables to drive the optimization that are more appropriately related to acceleration
- Mesh refinement study
- Continued work to improve convergence and to mitigate errors in the LS-DYNA runs (i.e. complex sound speeds arising in low density elements)











### Questions?

#### **Acknowledgments:**

This research was performed under government contract from the US Army TARDEC, through a subcontract with Mississippi State University, for the Simulation Based Reliability and Safety (SimBRS) research program.









### Backup





# Company September 10 and 10 an

### Verification of Monotonic Relationship between SED and Mass Density

MODELING AND SIMULATION, TESTING AND VALIDATION

- The Piecewise-linear elastic-plastic model was shown by Dr. Patel' to have a monotonic relationship between SED and mass density under the SIMP penalization method
- A similar study was conducted to determine if penalizing the Johnson-Cook model also yielded a monotonic relationship between SED and mass density.
  - Setup as a single solid LS-DYNA cube element under a rapid fixed loading
- As in the standard SIMP scheme, elastic modulus (and shear modulus) is
   — Mass and penalization factors are varied.
   penalized according to:

$$E = E_0 x^p$$
 and  $G = G_0 x^p$ 

Johnson-Cook model calculates a von-mises flow stress according to:

$$\sigma = [A + B\varepsilon^n][1 + C\ln\dot{\varepsilon}][1 - T^{*m}]$$

• Penalizing this von-mises flow stress is akin to penalizing the yield stress. This is done by penalizing the parameters A, B, and C.







#### Johnson-Cook Material Model: Penalization

MODELING AND SIMULATION, TESTING AND VALIDATIO

 As in the standard SIMP scheme, elastic modulus (and shear modulus) is penalized according to:

$$E = E_0 x^p$$
 and  $G = G_0 x^p$ 

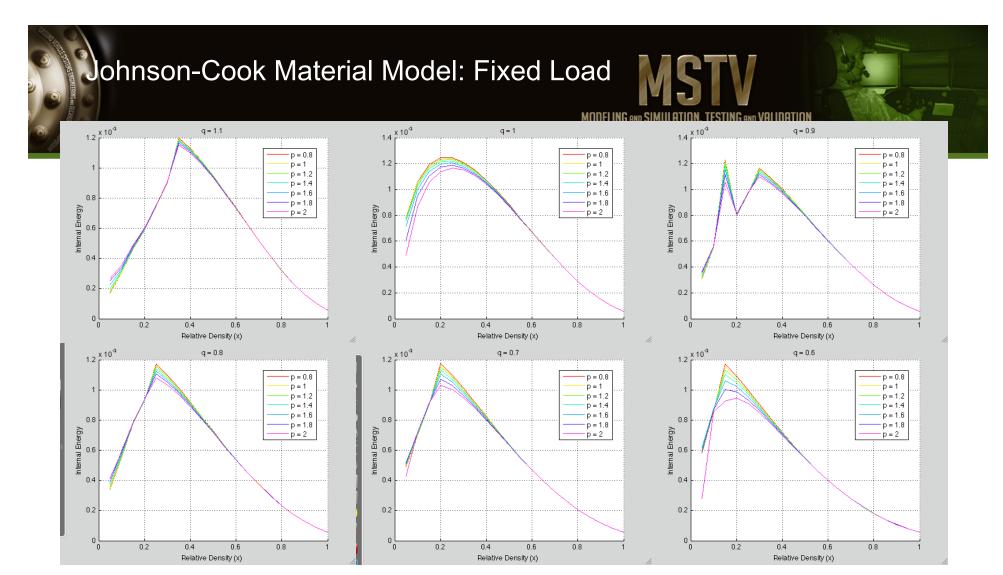
 The Johnson-Cook model calculates a von-mises flow stress according to.

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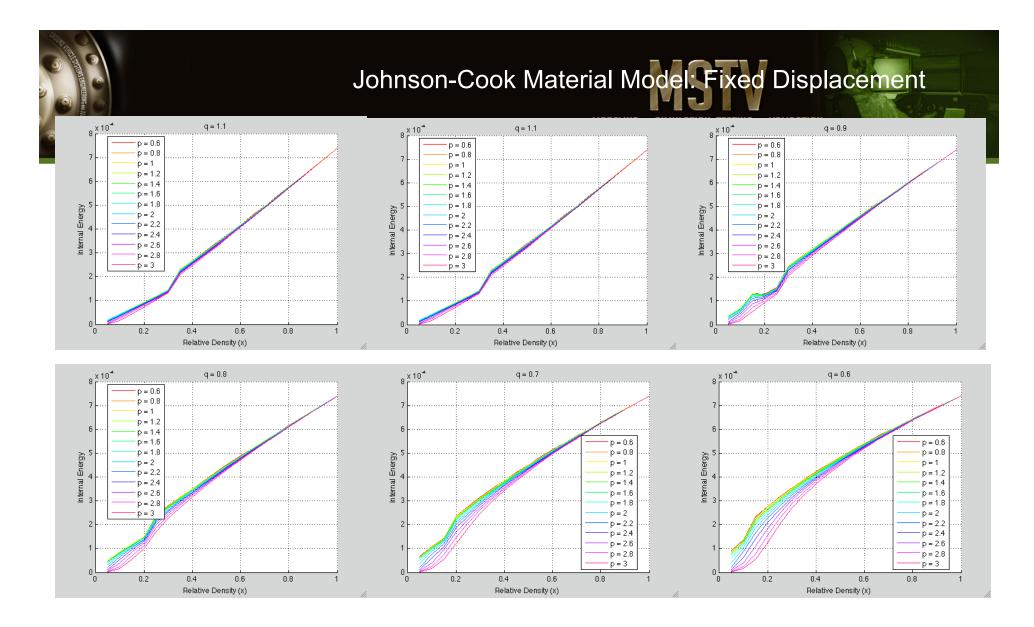
 Penalizing this von-mises flow stress is akin to penalizing the yield stress. This is done by penalizing the parameters A, B, and C.







- Under a constant load, the material does not behave monotonically under any penalization scheme
- Depending on choice of p and q, we may have to significantly increase the minimum density allowed in the CA and FE models



 Under fixed displacement the IED appears to have a monotonic relationship with relative density

Blast loadings, however, are not fixed displacement problems.





### Modification of HCA for Blast: CONWEP Blast Model





- CONWEP blast model: Load-Blast function in Ls-Dyna, is an implementation of the hemispherical blast models of Kingery and Bulmash.
- Empirical blast-loading model rather than explicitly simulating the progress of the shock wave from the high explosive through the air and its interaction with the structure
- Does not account for pressure confinement properties provided by imbedding explosive charge in soil.
- Scaling charge sizes for better agreement accepted, but applications to complete structures limited due to improperly modeled load distributions
- More complex structures and interaction of detonation products and debris requires a more sophisticated fluid structure formulation.

$$P(\tau) = P_{\rm r} \cdot \cos^2 \theta + P_i \cdot (1 + \cos^2 \theta - 2\cos \theta)$$







- Introduction
- Overview of Hybrid Cellular Automata (HCA)
- Methodology
  - Field Variable
  - Material Model
  - Blast Model
- Implementation
- Results



